



Journée thématique calculs/simulations

# Magnetic Resonance Imaging (IRM)

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## Introduction

### a) Magnetic resonance imaging (MRI)

- No invasive, no ionizing, 1D, 2D and 3D imaging technic of complex objects
- Based on magnetic resonance phenomenon
- Main part of the applications: imaging of  $^1\text{H}$  of water
- The contrast are obtained by proton density difference or tissues rigidity difference

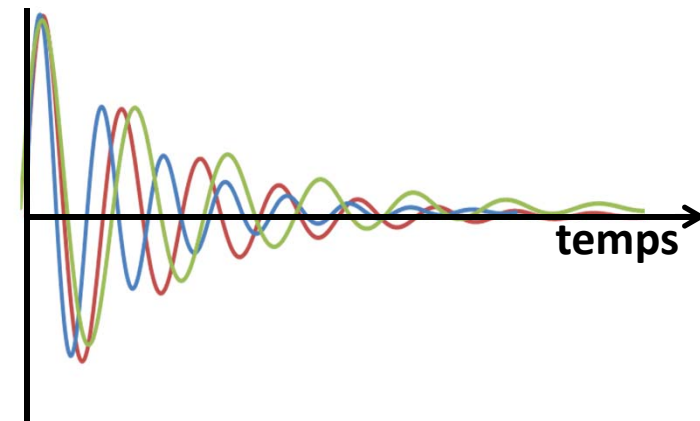
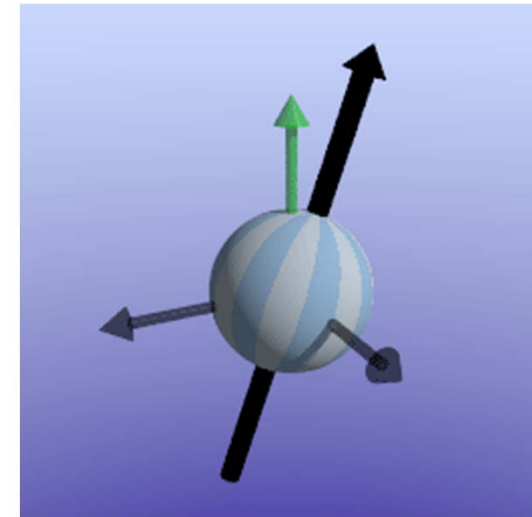


$^1\text{H}$  MRI of water molecules of a corn cob by Andy Ellison

# I) Principle

## a) Magnetic resonance

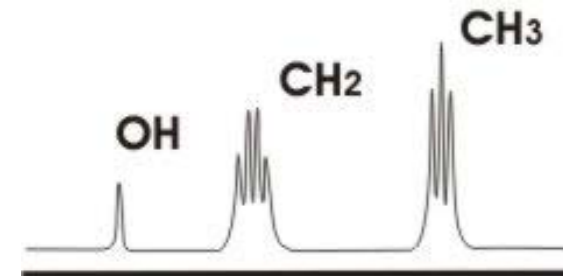
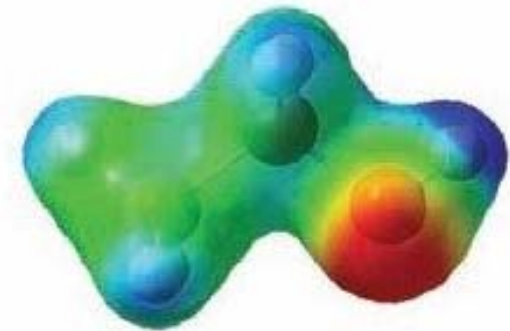
- Immerse in an intense magnetic field the magnetic moment of the nucleus: the spin rotate along the magnetic field
- This magnetic component in rotation can be detect by induction in a coil placed around the object
- This gives the nuclear magnetic resonance signal: the FID (Free Induction Decay)



# I) Principle

## b) NMR spectroscopy

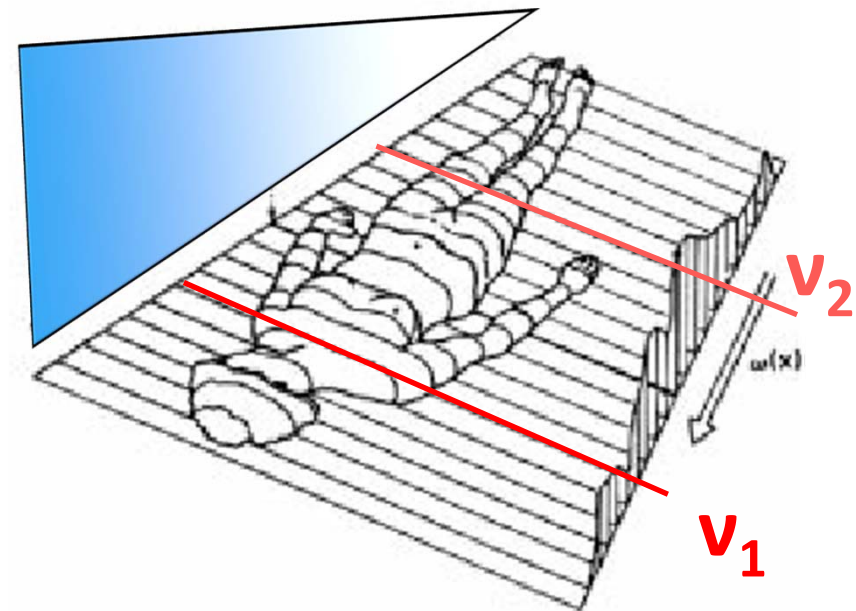
- The spin resonance frequency depends of the magnetic field
- The nucleus are shielded by the electron density
- The electron density is modified by the chemical environment
- **Thus the resonance frequency depends of the chemical environment**
- The Fourier transform of the signal give the NMR spectrum



# I) Principle

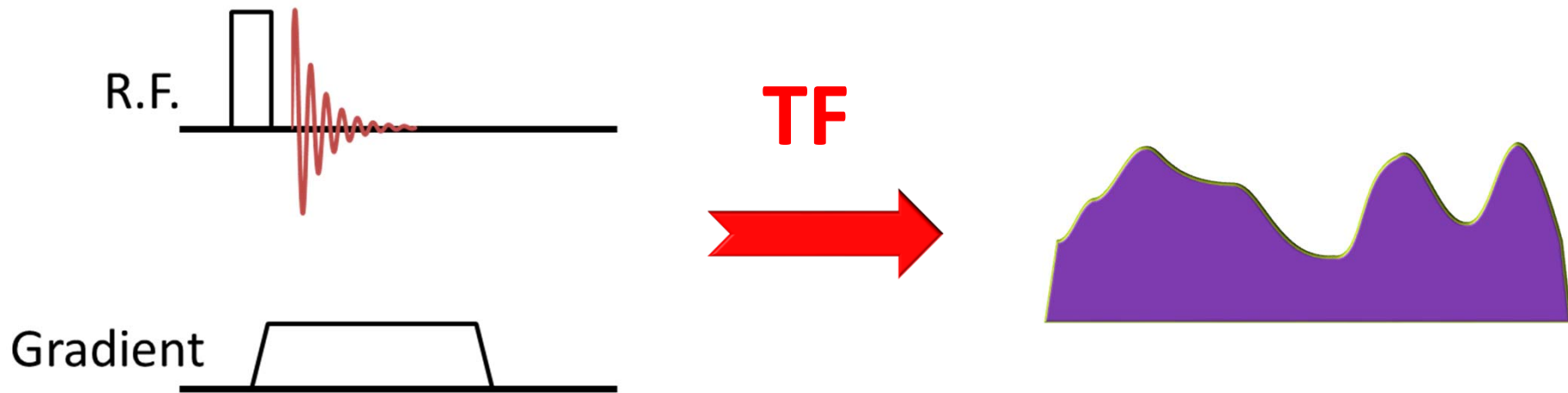
## c) Magnetic Resonance Imaging (MRI)

- The spin resonance frequency depends of the magnetic field
- With the addition of a magnetic field gradient: **the spin resonance frequency depends of the spin spatial position** along the gradient
- The signal of the whole object is acquired and the Fourier transform give the 1D image (profile) of the spin density of the object



## II) Spatial encoding

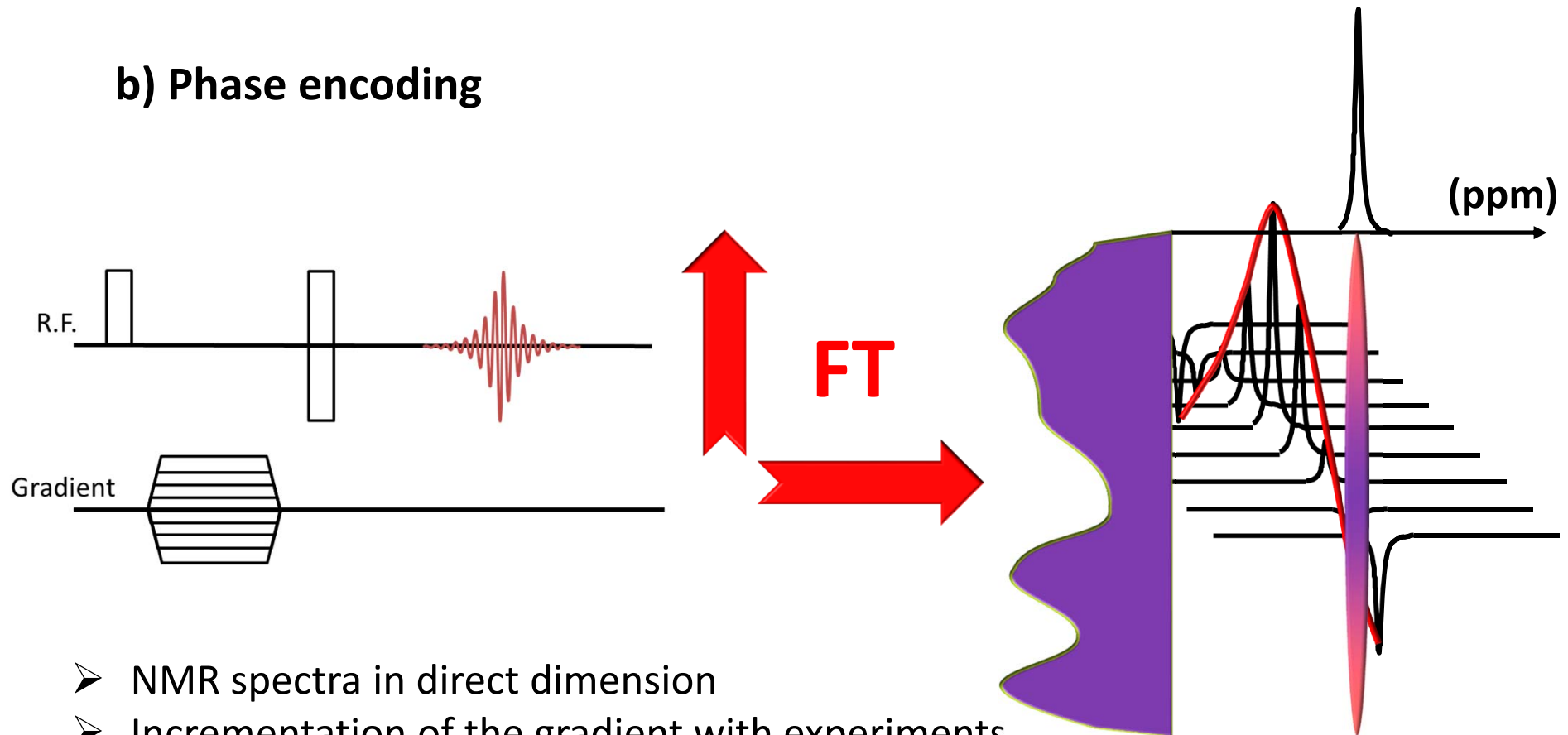
### a) Frequency encoding



- Acquisition under gradient
- Frequency dependent of spatial position
- Fourier transform
- Object profile in the gradient direction

## II) Spatial encoding

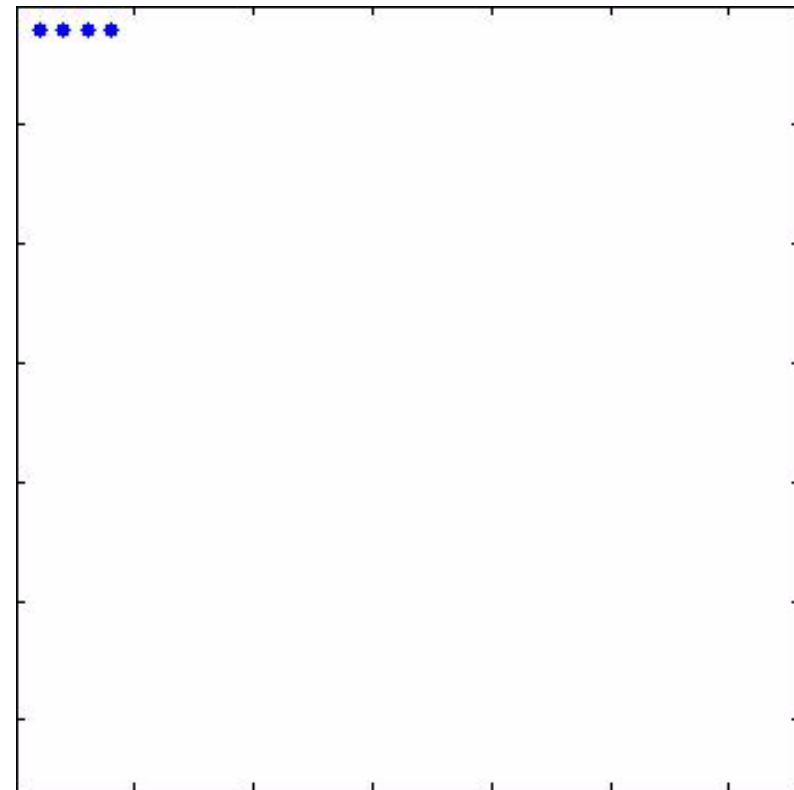
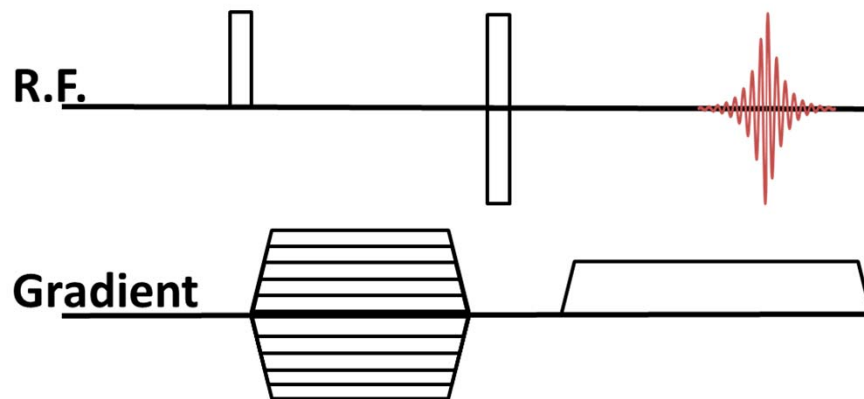
### b) Phase encoding



- NMR spectra in direct dimension
- Incrementation of the gradient with experiments
- Incrementation of the phase as function as felt gradient and thus spatial position of each resonance
- Fourier transform in the spatial dimension -> object profile

## II) Spatial encoding

### c) Reciprocal space: K-space

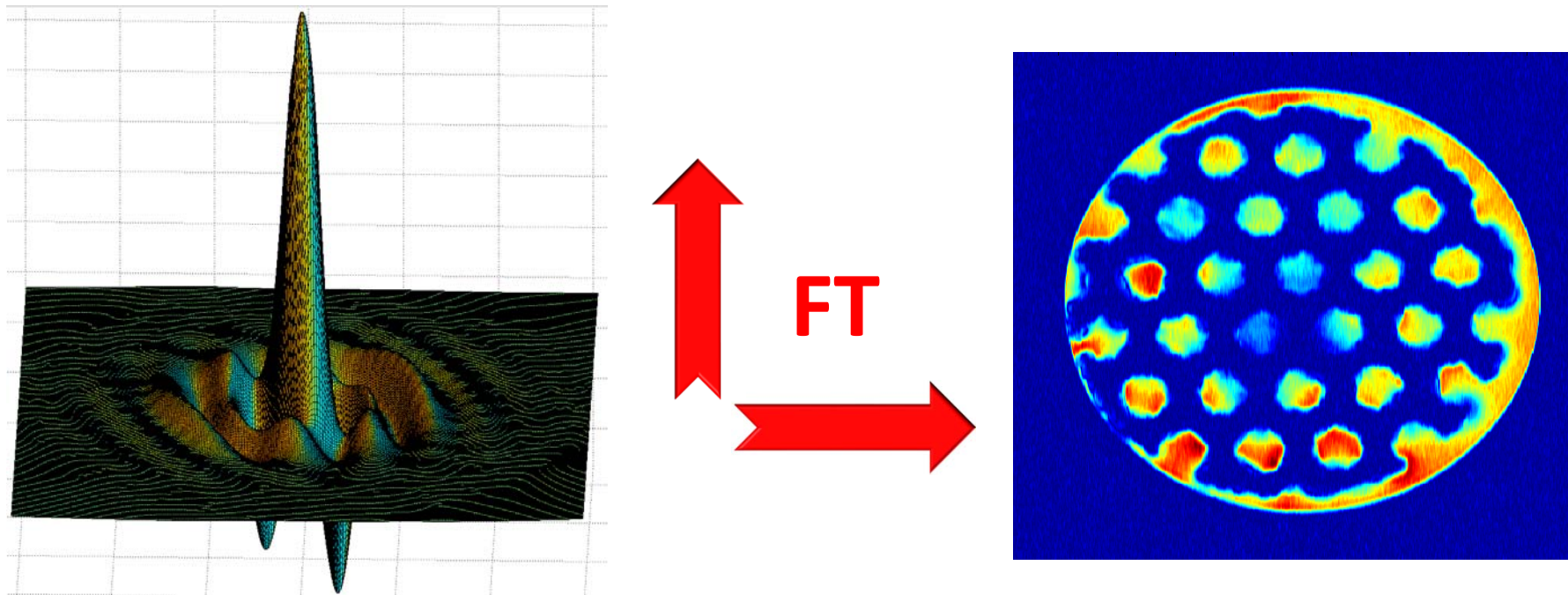


- The combination of these two encoding allow the acquisition of multiple dimension images
- The recorded data is the reciprocal space of an image: the K-space



## III) Processing

### c) Reciprocal space: K-space



- A Fourier transform in the two direction of this reciprocal space give the image

## III) Processing

### a) Matlab

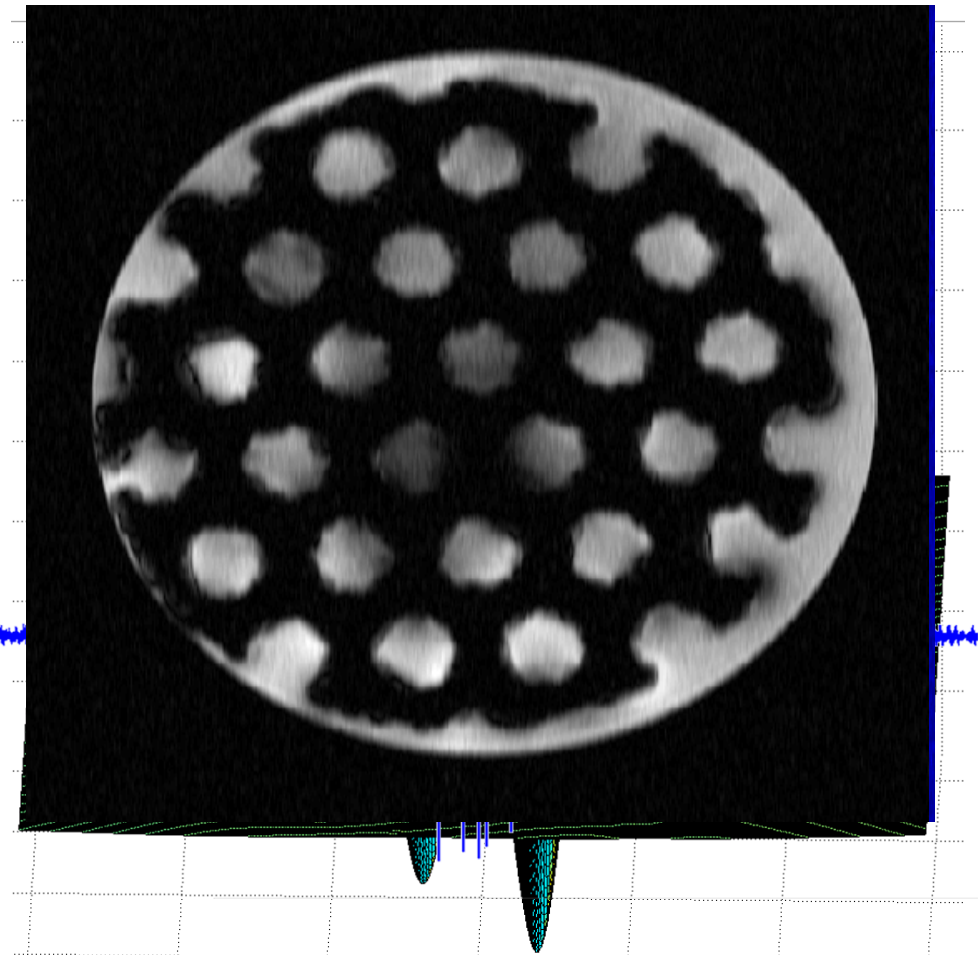
- Import the NMR data
 

```
fid=fopen(/mySERfile,'r','l');
[data,~]=fread(fid,'int32');
```
- Cut them and arrange them to retrieve the reciprocal space
 

```
data2D = reshape(data,TD2,TD1);
```
- Perform the double Fourier transform to obtain the image
 

```
image = abs(fftshift(fft2(data2D)));
```
- Display the image
 

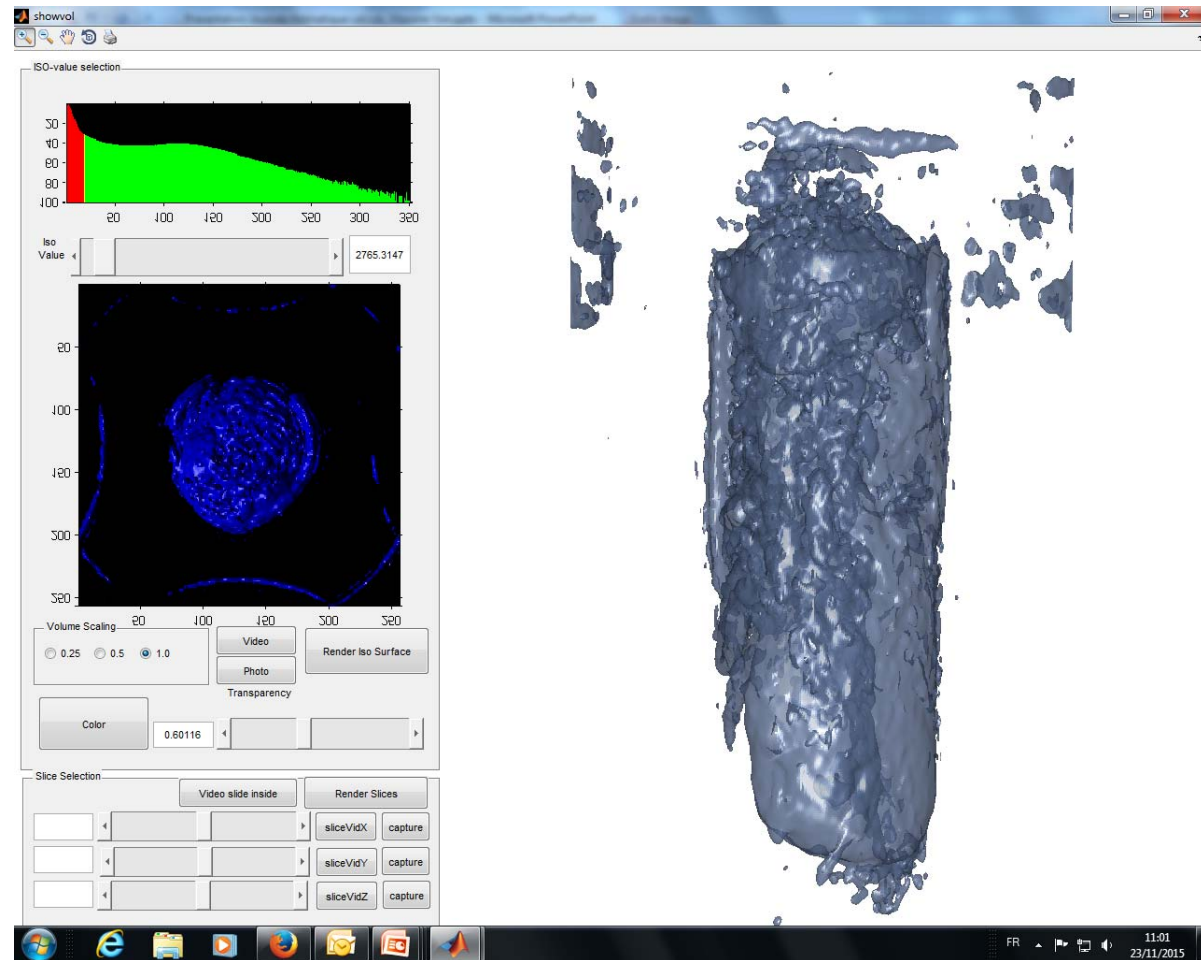
```
imagesc(image)
colormap gray
```



## IV) Display

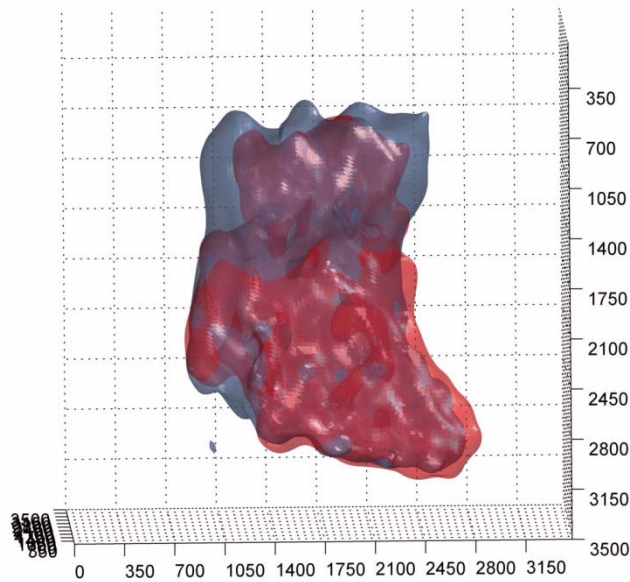
### a) 3D display

- The result of a 3D acquisition and processing is a square matrix full of intensity point
- In order to display the surface of the 3D image, a cut off value is required



## IV) Display

### b) 3D display

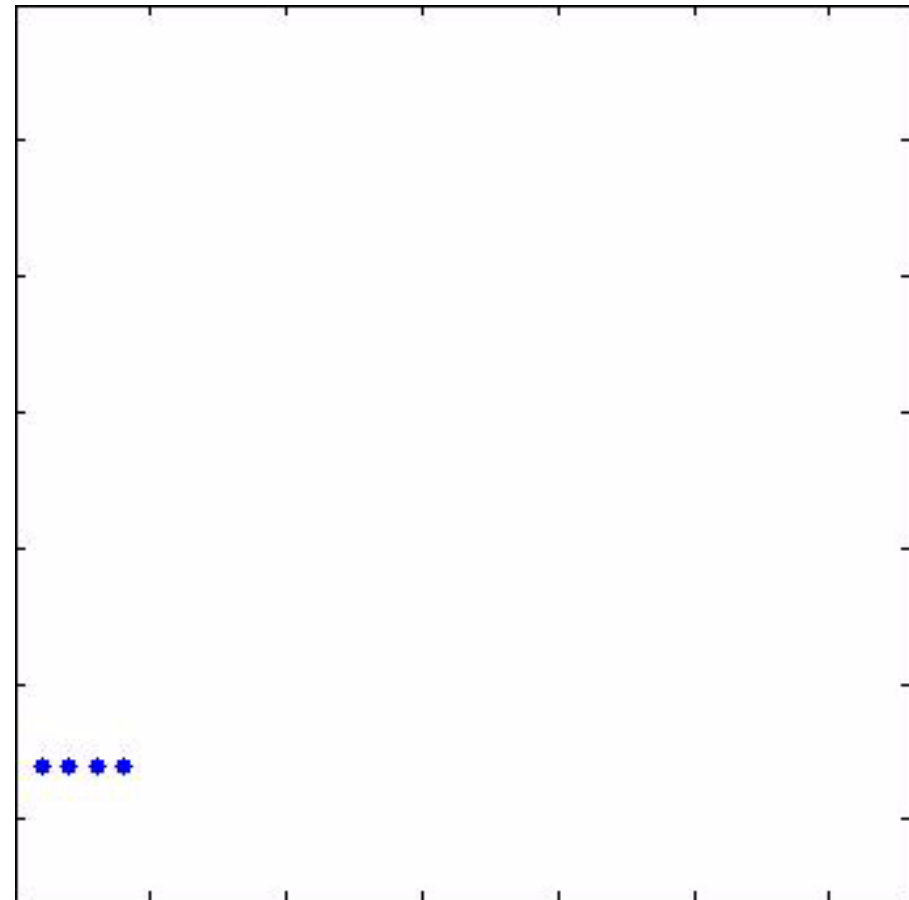


- The Matlab display is also important to allows the user to see all the information in the 3D image

## V) Reconstruction

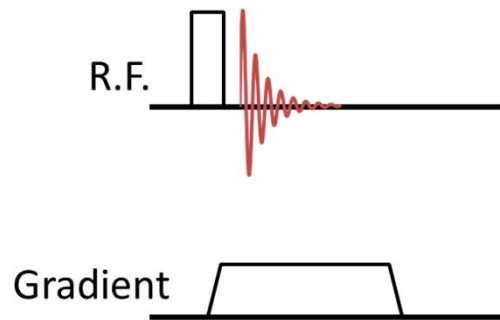
### a) Sparse sampling

- The reciprocal space of the image contain more signal in the center and redundant information
- It is possible to acquired only a part of it and then reconstruct the full K-space.
- This sampling reduce the experimental time  
`recKspace=griddata(Xcoord,Ycoord,  
 data,Xq,Yq,'cubic');`

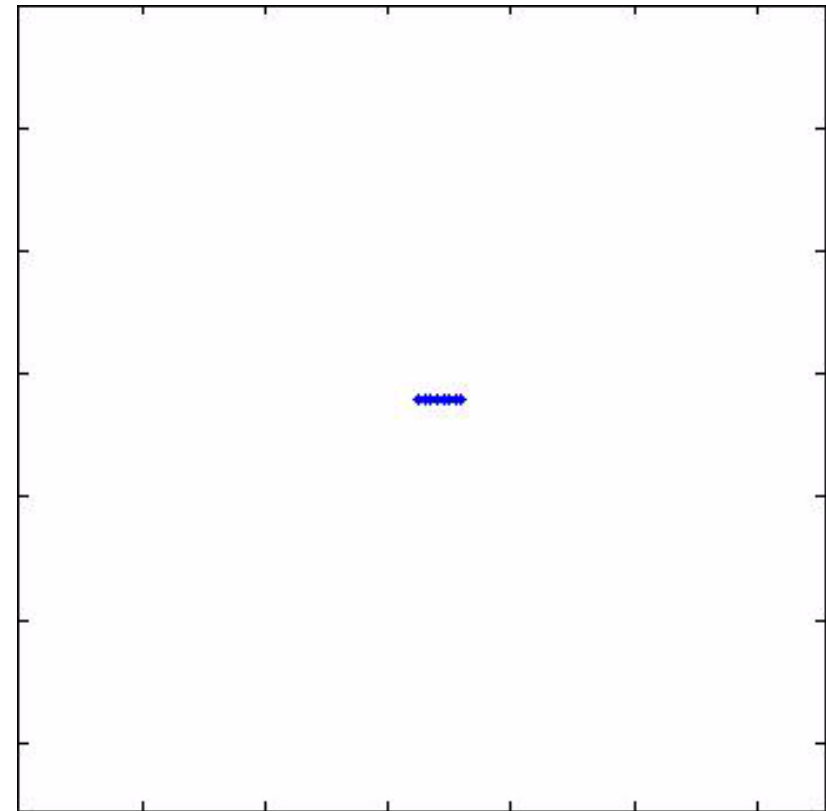


# V) Reconstruction

## c) Radial sampling



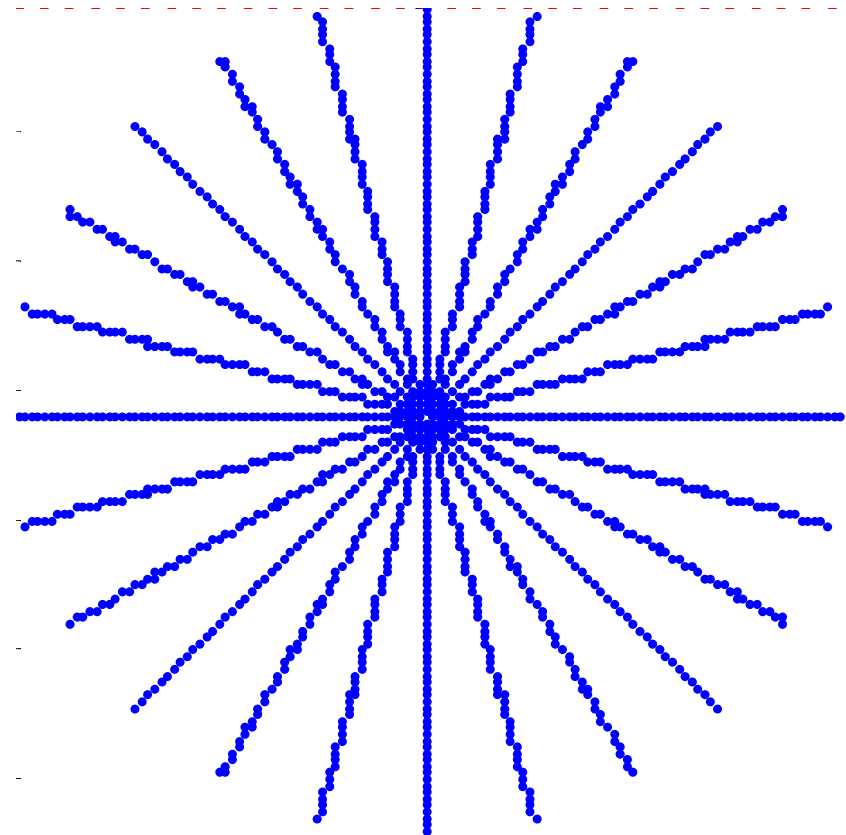
- The acquisition of the reciprocal space of the image can be performed by different trajectories
- The radial sampling allows to image a signal with a short life time



## V) Reconstruction

### b) Non Cartesian sampling

- After the acquisition a Cartesian map off points has to be computed before Fourier transform
- This can be done by interpolation  
`recKspace=griddata(Xcoord,Ycoord,  
 data,Xq,Yq,'cubic');`
- Or by Fourier transform of the radius and Radon transform of the projections  
`imageradon=iradon(projections,angle);`

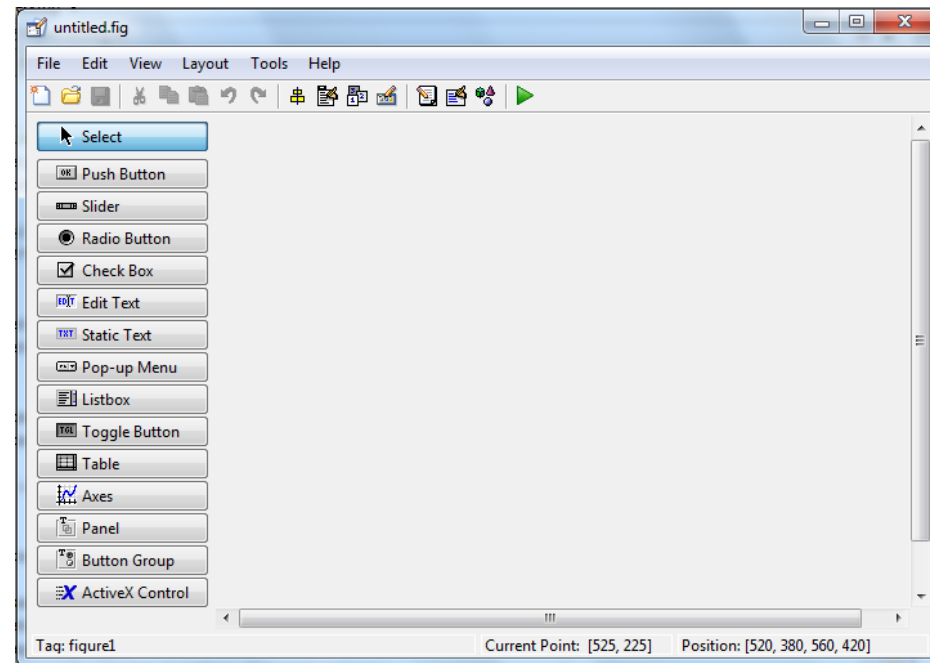




## VI) Standalone Application

### a) Application

- Sometime it is not convenient to open Matlab, just to display your data
- The Matlab compiler allows to execute all the treatments outside Matlab
- Your application will be able to run on any computer and be shared with users which do not possess Matlab
- It is easy to create







## Conclusion

### a) Magnetic resonance imaging (MRI)

- The Magnetic Resonance Imaging do not give directly images but spatially encoded data
- The image is obtain by Fourier transform of these data
- Matlab can be a valuable tool to :
  - Display the images
  - Create your own processing easily
  - Share this processing with everyone on any computer



Magnetic resonance imaging

## Acknowledgments

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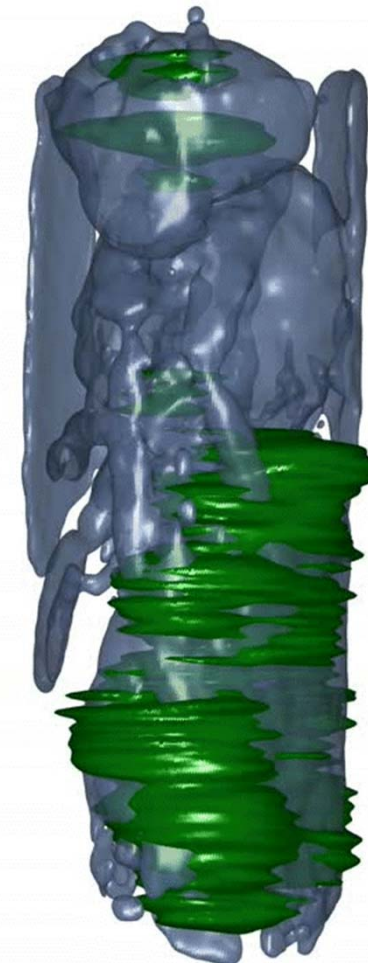
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Thank you for your attention